Effective R Programming

Jacob Colvin

February 21, 2009



- Motivation
- 2 R Concepts
 - Language Details

3 Debuging

- Profiling
 - Tidying R Code

5 Good Code, Bad Code

- Vectorize!
- Cumulative Sum
- DP Code
- MCMC without Loops!

Conclusion

- $\bullet\,$ Dispell the myth that R is slower the C/Fortran.
 - As long as you don't program in R like you did in C/Fortran.
 - As long as your code is not very serial like cumsum().
- Be more productive by learning how to correctly program & debug in R.
 - How to debug without resorting to print() statements.
 - How to profile your code to find out why it is actually slow so you don't bother optimizing the wrong parts.

- R is a scripting language, so it takes a lot of work to go from one command to another compared to a compiled language.
- So in R you need to avoid for loops and try and do as much work as possible in each command.
- For complex commands, R will call the same fortran code, like BLAS, as a native Fortran program would.
- Might be more worth your time to tune R with better BLAS libraries like perhaps the ATLAS ones.
- R functions are semantically "call by value", but are implemented in a "copy on write" fashion.
 - Hence no penalty for passing large objects in function arguments as long as you don't modify them.

See "Writing R Extensions" Chapter 4

- traceback() or where did my program die?
- browser() or why did my program die?
 - insert browser commands in code like this
 if(sum(is.na(x)) > 0) browser()
 - Q for quit
 - [Return] to continue program exection untill possibly the next call to browser()

```
> x=matrix(rnorm(12),nrow=2)
> apply(x,1,function(y){browser();sum(y)})
Called from: FUN(newX[, i], ...)
Browse[1]> x
         [,1] [,2] [,3] [,4] [,5] [
[1,] 0.3290968 0.618234 0.4220994 -0.9335046 -1.07675500 0.3365
[2,] 0.6961244 -1.148550 1.4818257 1.0544334 0.07863615 1.81113
Browse[1]> y
[1] 0.3290968 0.6182340 0.4220994 -0.9335046 -1.0767550 0.330
Browse[1]>
Called from: FUN(newX[, i], ...)
Browse[1]> y
[1] 0.69612441 -1.14854997 1.48182574 1.05443341 0.07863615
Browse[1]>
[1] -0.3043121 3.9736021
>
```

Profiling: or how to not waste your time

See "Writing R Extensions" Chapter 3

- > Rprof("boot.out")
- > x = mcmc(Itr=1e6)
- > Rprof(NULL)

Followed by this at the command prompt:

:> R CMD Rprof boot.out

A quick and dirty version would be use system.time(), but note the use of the <- operator

> system.time(x <- mcmc(Itr=1e6))
 user system elapsed
 3.444 0.008 3.482</pre>

Say you are given code that was never indented, and/or you want to remove all the comments.

- > options(keep.source = FALSE)
- > source("myfuns.R")
- > dump(ls(all = TRUE), file = "new.myfuns.R")

If you really want to add all of the comments back, you can use a merge tool like Kdiff3 to make it happen.

Vectorize

```
N=1000000
f=function() {
 x=numeric(N)
 for(i in 1:N)
   x[i]=runif(1)
}
g=function() x=runif(N)
> system.time(f())
user system elapsed
 14.345 0.032 14.522
> system.time(g())
user system elapsed
0.108 0.012 0.122
```

• 120X improvement in the vector version!

```
noloop=function(x){
  gen.iter = function(y=0)
    function(x)
    y <<- x+y
  sapply(x,gen.iter())
}</pre>
```

```
loop = function(x) {
  for( i in 2:length(x) )
    x[i] = x[i] + x[i-1]
    x
}
```

- > rep(c(-1,1),1e6)->x
- > system.time(noloop(x)->x1)
 user system elapsed
 25.249 0.032 25.350
 > system.time(loop(x)->x2)
 - user system elapsed 13.885 0.060 13.981
- > system.time(cumsum(x)->x3)
 user system elapsed
 0.052 0.000 0.054

DP Code 1

$$\label{eq:constraint} \begin{split} \omega_1 &= z_1 \\ \omega_i &= z_i \prod_{j=1}^{i-1} (1-z_j) \end{split}$$
 dp.stick.1 = function(y,n=1000,alpha=1) { z = rbeta(n,1,alpha) \\ w = numeric(length(z)) \\ w[1] &= z[1] \\ for(i in 2:length(z)) \\ w[i] &= z[i] * prod(1-z[1:(i-1)]) \\ w \\ \rbrace \\ 10000 \ iterations \\ user \ system elapsed \\ 425.2 \qquad 0.4 \qquad 426.5 \end{split}

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DP Code 2

$$\label{eq:constraint} \begin{split} \omega_1 &= z_1 \\ \omega_i &= z_i \prod_{j=1}^{i-1} (1-z_j) \end{split}$$
 dp.stick.2 = function(y,n=1000,alpha=1) { z = rbeta(n,1,alpha) \\ w = numeric(length(z)) \\ w[1] &= z[1] \\ for(i in 2:length(z)) \\ w[i] &= z[i] * w[i-1] / z[i-1] * (1-z[i-1]) \\ w \\ \rbrace \\ 10000 \ iterations \\ user \ system elapsed \\ 137.521 \ 0.220 \ 139.714 \end{split}

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$$\omega_1 = z_1$$

 $\omega_i = z_i \prod_{j=1}^{i-1} (1-z_j)$

```
dp.stick.3 = function(y,n=1000,alpha=1) {
  z = rbeta(n,1,alpha)
  z/(1-z)*cumprod(1-z)
}
10000 iterations
  user system elapsed
  7.392 0.248 7.671
```

$$\omega_1 = z_1$$
 $\omega_i = z_i \prod_{j=1}^{i-1} (1-z_j)$

```
dp.stick.4 = function(y,n=1000,alpha=1) {
  z = rbeta(n,1,alpha)
  z * c(1, cumprod(1-z[-length(z)]) )
}
10000 iterations
  user system elapsed
  7.613 0.124 7.7
```

$$egin{aligned} &\omega_1 = z_1 \ &\omega_i = z_i \prod_{j=1}^{i-1} (1-z_j) \end{aligned}$$

```
dp.stick.5 = function(y,n=1000,alpha=1) {
  z = rbeta(n,1,alpha)
  z/(1-z)*exp(cumsum(log(1-z)))
}
10000 iterations
  user system elapsed
10.253 0.104 10.524
```

$$\omega_1 = z_1$$

 $\omega_i = z_i \prod_{j=1}^{i-1} (1-z_j)$

```
dp.stick.6 = function(y,n=1000,alpha=1) {
  zz = rbeta(n,alpha,1)
   (1-zz)/zz*exp(cumsum(log(zz)))
}
10000 iterations
  user system elapsed
10.117 0.108 10.24
```

```
gibbs.loop.1 = function (Itr=1e5, rho=0.5) {
  mat <- matrix(ncol = Itr, nrow = 2)</pre>
  x0 <-0; v0 <-0; mat[,1] <- c(x0, v0)
  for (i in 2:Itr) {
    mat[1,i] <- rnorm(1, rho * mat[2,i-1], sqrt(1 - rho<sup>2</sup>))
    mat[2,i] <- rnorm(1, rho * mat[1,i ], sqrt(1 - rho<sup>2</sup>))
  }
 mat
}
> system.time(gibbs.loop.1()->g1)
   user system elapsed
  4.956 0.000 4.981
```

Faster MCMC With Loops

```
gibbs.loop.2 = function (Itr=1e5, rho=0.5) {
  mat <- matrix(ncol = Itr, nrow = 2)</pre>
  x0 < -0
  y0 <- 0
 mat[,1] <- c(x0, y0)
  for (i in 2:Itr) {
    x0 <- rnorm(1, rho * y0, sqrt(1 - rho^2))
    y0 <- rnorm(1, rho * x0, sqrt(1 - rho<sup>2</sup>))
    mat[,i] = c(x0,y0)
  }
  mat
}
> system.time(gibbs.loop.2()->g2)
   user system elapsed
  3.764 0.004 3.779
```

```
gibbs.noloop = function(Itr=1e5, rho=0.5)
ł
  gen.gibbs.iter = function(x=0, y=0) # x and y are used as "
    function(t) { # defines what happens inside a MCMC iterat:
      y <<- rnorm(1,rho*y, sqrt(1-rho^2)) # basically <- is :</pre>
      x <<- rnorm(1,rho*x, sqrt(1-rho^2)) # and <<- is for st
      c(x,y)
    }
  sapply(integer(Itr),gen.gibbs.iter())
}
> system.time(gibbs.noloop()->g3)
  user system elapsed
  3.444 0.008 3.482
```

big example

:~/R.prog.tutorial\$ R CMD Rprof mcmc.out

Each sample represents 0.02 seconds. Total run time: 3.86 seconds.

Total seconds: time spent in function and callees. Self seconds: time spent in function alone.

%	total	%	self	
total	seconds	self	seconds	name
97.41	3.76	0.00	0.00	"gibbs.noloop"
97.41	3.76	0.00	0.00	"sapply"
96.89	3.74	5.70	0.22	"lapply"
91.19	3.52	14.51	0.56	"FUN"
76.68	2.96	70.47	2.72	"rnorm"
5.18	0.20	0.52	0.02	"unlist"
4.66	0.18	0.00	0.00	"unique"
%	self	%	total	
self	seconds	total	seconds	name
70.47	2.72	76.68	2.96	"rnorm"
14.51	0.56	91.19	3.52	"FUN"
5.70	0.22	96.89	3.74	"lapply"
2.59	0.10	2.59	0.10	"*"

. . .

- R is amazing, and if you do something else you are probably wasting your time.
- Use R to prototype your projects, and later, if necissary, reimplement the slow functions in C/Fortran
 - How to call C/Fortran code from R would be a good talk for the future, if I ever find a pressing reason to learn how myself.
- Learn how to use the apply family of functions.

Consider this...

- What is the ratio of the time spent programming over time spent running the program?
- I bet it is over 10, maybe more like 100.
- So who cares how slow R is if you can cut programming time in half?